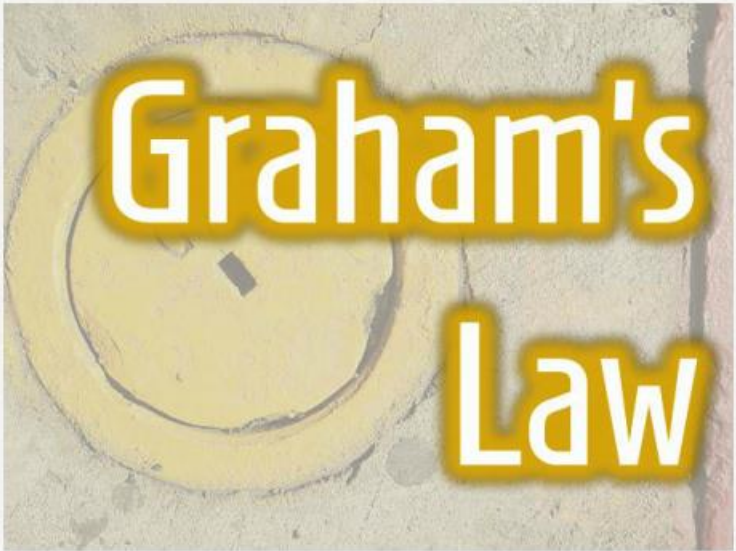


Module 9: States of Matter and Gas Laws  
Topic 5 Content: Graham's Law Notes

Graham's Law



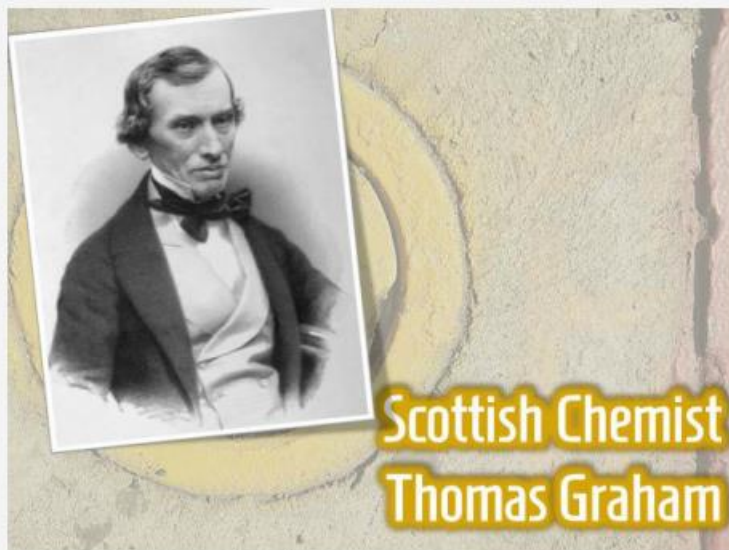
In order to investigate Graham's Law you must first understand the key difference between effusion and diffusion. **Effusion** is the process by which gas escapes through a small hole. **Diffusion** occurs when gas molecules disperse throughout a given volume. In this interactivity, use the *NEXT* and *PREV* buttons in the lower

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## Module 9: States of Matter and Gas Laws

### Topic 5 Content: Graham's Law Notes

#### Graham's Law



Graham's Law of Effusion was developed by Scottish chemist Thomas Graham in 1848. Graham discovered that the rate of effusion of a gas is inversely proportional to the square root of its particles.

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## Module 9: States of Matter and Gas Laws

### Topic 5 Content: Graham's Law Notes

#### Graham's Law

$$\frac{R_1}{R_2} = \sqrt{\frac{M_2}{M_1}}$$

- Rate 1 ( $R_1$ ) is the rate of effusion of the first gas
- Rate 2 ( $R_2$ ) is the rate of effusion for second gas
- $M_1$  is the molar mass of gas one
- $M_2$  is the molar mass of gas two

The mathematical expression for Graham's Law is:  $R_1/R_2 = \sqrt{M_2/M_1}$ . In this equation:

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## Module 9: States of Matter and Gas Laws

### Topic 5 Content: Graham's Law Notes

**Graham's Law**

**What does Graham's Law tell chemists?**

- If the molecular weight of one gas is higher than another, then the gas that weighs more effuses at a slower rate.
- Graham's Law only approximately explains diffusion, since it usually involves the mixing of many gases.

Looking closely at this law, chemists make key observations about the effusion and diffusion of gases. First, if the molecular weight of one gas is higher than another, then the gas that weighs more effuses at a slower rate. Second, Graham's Law only approximately explains diffusion. Generally, diffusion involves the mixing of many

Looking closely at this law, chemists make key observations about the effusion and diffusion of gases. First, if the molecular weight of one gas is higher than another, then the gas that weighs more effuses at a slower rate. Second, Graham's Law only approximately explains diffusion. Generally, diffusion involves the mixing of many gases which are not accurately explained by Graham's Law of Effusion.

## Module 9: States of Matter and Gas Laws

### Topic 5 Content: Graham's Law Notes

**Graham's Law**

**Example 1**

Argon effuses at a rate of 1 m/s. If equal amounts of helium and argon are placed in a porous container and allowed to escape, which gas will escape faster and how much faster?

**Known:**  
 $M_1 = 4.0$   
 $M_2 = 39.95$   
 $R_2 = 1 \text{ m/s}$

**Unknown:**  
 $R_1 = ?$

$$\frac{R_1}{R_2} = \sqrt{\frac{M_2}{M_1}}$$
$$\frac{R_1}{1} = \sqrt{\frac{39.95}{4.00}}$$
$$R_1 = 3.13 \text{ m/s}$$

Shown here is an example problem using Graham's Law.

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**Argon effuses at a rate of 1 m/s. If equal amounts of helium and argon are placed in a porous container and allowed to escape, which gas will escape faster and how much faster?**

The best way to solve this problem is by listing the known and unknown variables, then solve the problem using mathematics. The known variables in the problem are  $M_1$ ,  $M_2$ , and  $R_2$ . The unknown variable is  $R_1$ , so you need to rearrange the equation to solve for  $R_1$ . The new equation reads:  $R_1$  divided by  $R_2$  equals the square root of  $M_1$  divided by  $M_2$ . Once you have the problem set up, solve for  $R_1$  by plugging the known variables into the equation. You can see that  $R_1$  is equal to the square root of 39.95 divided by four.  $R_1$  equals 3.13 m/s. Helium escapes at a faster rate than argon.



## Module 9: States of Matter and Gas Laws

### Topic 5 Content: Graham's Law Notes

**Graham's Law**

**Example 2**

At a certain temperature and pressure, chlorine molecules have an average velocity of 0.0380 m/s. What is the average velocity of sulfur dioxide molecules under the same conditions?

**Known:**  
 $M_1 = 70.906$   
 $M_2 = 64.064$   
 $R_2 = 0.0380 \text{ m/s}$

**Unknown:**  
 $R_1 = ?$

$$\frac{R_1}{R_2} = \sqrt{\frac{M_2}{M_1}}$$
$$\frac{R_1}{0.0380} = \sqrt{\frac{70.906}{64.064}}$$
$$R_1 = 0.04 \text{ m/s}$$

Shown here is another example problem using Graham's Law.

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